ARALIK 2017 TARİH BASKILI MATHEMATICS II DERS KİTABINA İLİŞKİN DÜZELTME CETVELİ

1- Ünite 2, Sayfa 42, "Answer Key for "Test Yourself", Soru 7'nin cevap şıkkı "a" olarak güncellenmiştir.

7. a We first need to determine the intersection points of the given curves. To do so, let us equate them:

$$2x^{3}=8x$$

 $2x^{3}-8x=0$
 $2x(x^{2}-4)=0$

The points satisfying the last equation are -2, 0, 2. Since there is an extra condition of $x \ge 0$, the points of intersection are 0 and 2. Also, in the interval $0 \le x \le 2$, we have $x^3 \le x$ and therefore the required area *A* is evaluated as

$$A = \int_0^2 (8x - 2x^3) dx$$

= $\left(4 \cdot x^2 - \frac{x^4}{4}\right) \Big|_0^2$
= $\left(16 - \frac{16}{4}\right) - 0$
= 8.

2- Ünite 3, Sayfa 47, "Example", çözümü aşağıdaki şekilde değiştirilmiştir.

Example: A famous shoe company produces 80 units of shoes with a marginal cost of $C'(x) = 6x^2 + 3x + 5$. If it costs 1772 to produce 4 units of shoes, what are the total and fixed costs?

Solution: We can find the total cost function C(x) by integrating the marginal cost function with respect to *x*:

$$C(x) = \int C'(x)dx$$

= $\int (6x^2 + 3x + 5)dx$
= $2x^3 + \frac{3x^2}{2} + 5x + c$

In order to find the integral constant, we need an extra information. This information is already given in the question, that is the cost of producing 4 units of shoes which is C(4) = 1772. Inserting this value into the cost function we found through integration that

$$C(4) = 2 \cdot 4^{3} + \frac{3 \cdot 4^{2}}{2} + 5 \cdot 4 + c$$
$$2 \cdot 4^{3} + \frac{3 \cdot 4^{2}}{2} + 5 \cdot 4 + c = 1772$$
$$128 + 24 + 20 + c = 1772$$
$$c = 1000.$$

Now we can write the total function as $C(x) = 2x^3 + \frac{3x^2}{2} + 5x + 1600$. Even when there is no production, there is a cost called the fixed cost and here it is easily found to be C(0) = c = 1000.